

The role of local structural disorder in non-Fermi liquid *f*-electron intermetallics

Corwin H. Booth
Chemical Sciences Division
Glenn T. Seaborg Center
Lawrence Berkeley National
Laboratory



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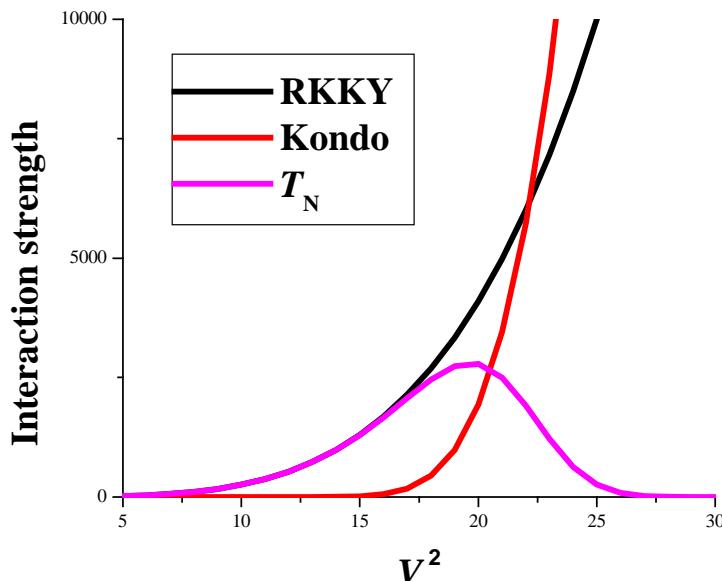
Outline

- **Introduction and Motivation**
 - Why worry or care about disorder?
 - How can we include disorder in the theories?
 - What can we do experimentally?
- **UCu_{5-x}Pd_x (CeRhRuSi₂)**
 - a disordered system
 - disorder is partially tunable
 - Main results are the same
- **U₃Ni₃Sn₄ C/T magnetic field dependence**
- **Conclusions**

Disorder and hybridization

binding energies: $k_B T_{\text{RKKY}} \sim N(0) V_{fd}^4 / \epsilon_f^2$

$$k_B T_K \sim \exp[-\epsilon_f / N(0) V_{fd}^2]$$



What happens when interactions are equal and drive a zero temperature transition?

What if there is a distribution of interaction strengths?

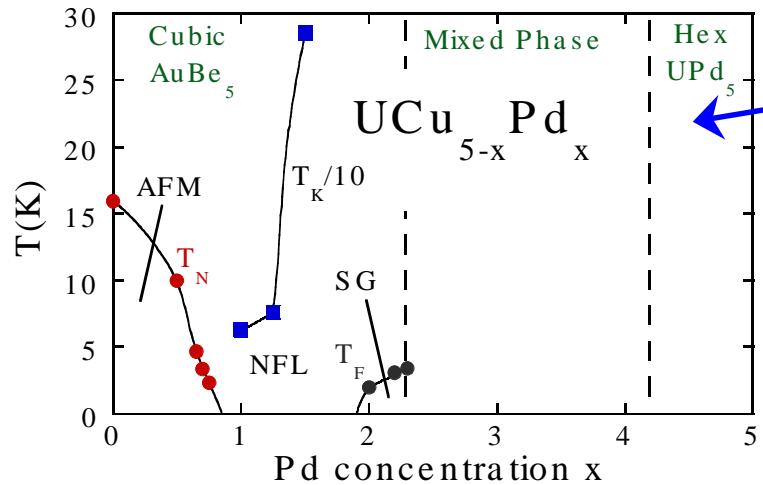
Teaser: Can molecular systems be included?

MAGNETIC GROUND STATES

		Interaction disorder →
Hybridization ↓	(anti-) ferromagnets	Spin glasses
	UCu ₅ NFL? Anderson lattices	URh ₂ Ge ₂
	Yb _{1-x} Lu _x Al ₃	non-Fermi liquids UPdCu ₄

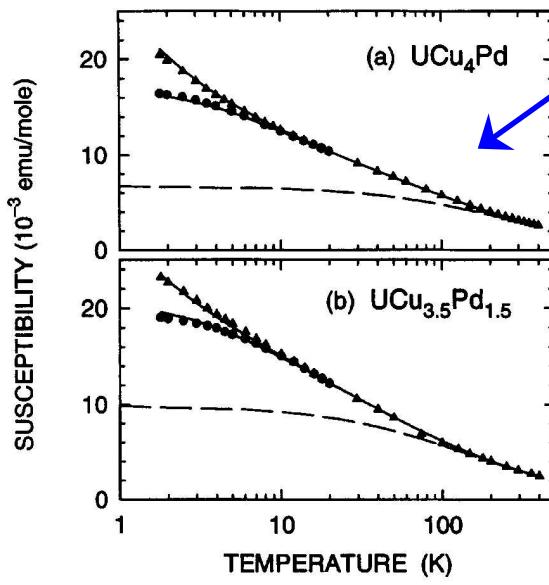
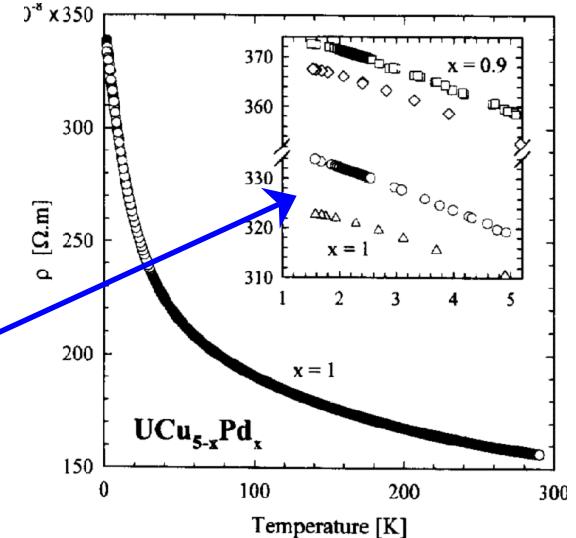
A diagram illustrating magnetic ground states based on interaction disorder and hybridization. The top row shows the transition from (anti-) ferromagnets to spin glasses as disorder increases. The left column shows the transition from hybridization to non-Fermi liquids as disorder decreases. A green oval highlights the Anderson lattices region, which contains UCu₅, NFL?, and Anderson lattices. A green arrow points from this region to U₃Ni₃Sn₄.

NFL behavior in $\text{UCu}_{5-x}\text{Pd}_x$

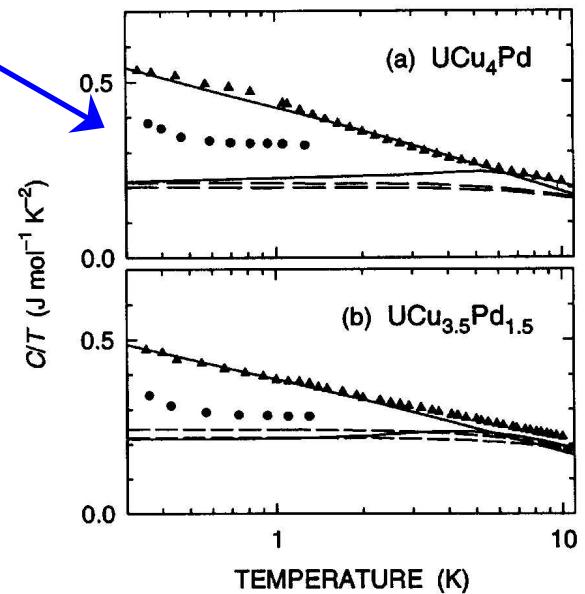


NFL behavior exists
near phase boundaries

resistivity as T goes to
0 K has a weaker
power law than T^2



Susceptibility and heat capacity
have logarithmic divergences as
 T goes to 0 K.



Non-Fermi-liquid behavior in *d*- and *f*-electron metals

G. R. Stewart

Department of Physics, University of Florida, Gainesville, Florida 32611-8440

(Published 31 October 2001)

III. Experiment	806
A. Doped systems	807
1. Antiferromagnetism “distant” in the phase diagram	807
a. $U_x Y_{1-x} Pd_3$ (I)	808
b. $UCu_{5-x} Pd_x$ (I)	820
c. $UCu_{5-x} Pt_x$ (II)	822
d. $UCu_4 Ni$ (II)	823
e. $UCu_{5-x} Al_x$ (III)	823
f. $Ce_{1-x} La_x Cu_2 Si_2$ (I)	824
g. $(U_x La_{1-x})_2 Zn_{17}$ (I)	824
h. $U_2 Cu_{17-x} Al_x$ (I)	825
i. $U_{1-x} Y_x Al_2$ (I)	825
j. $U_x Th_{1-x} Ru_2 Si_2$, $x \leq 0.07$ (I)	826
k. $U_x Y_{1-x} Ru_2 Si_2$, $x \leq 0.07$ (III)	826
l. $U_x Th_{1-x} Pt_2 Si_2$, $x \leq 0.07$ (III)	826
m. $U_x Th_{1-x} Pd_2 Si_2$ (?)	826
n. $U_{1-x} M_x Pt_3$ (I)	827
o. $Ce_{1-x} Th_x RhSb$ (?)	827
p. $URu_{2-x} Re_x Si_2$ (III)	827
q. $U_2 Pd_{1-x} Si_{3+x}$ (II)	828
r. $Ce_{0.1} La_{0.9} Pd_2 Al_3$ (III)	828
s. $U_{0.1} M_{0.9} In_3$, $M = Y, Pr, La$ (I)	828
t. $CePt_{3-x} Si_{1.04}$ (I?)	828
4. Ferromagnetic T_c just suppressed to 0 or just about to be induced via doping	834
a. $U_x Th_{1-x} Cu_2 Si_2$	834
b. $Ni_x Pd_{1-x}$	834
c. $CePd_{0.05} Ni_{0.95}$	835
d. $URh_{1.9} Ni_{0.3} Al$ (I)	835
B. Undoped systems at (or close to) a quantum critical point	835
1. $U_2 Pt_2 In$ (II)	836
2. $CeNi_2 Ge_2$	836
3. $U_2 Co_2 Sn$	837
4. $YbRh_2 Si_2$	838
5. $Yb_2 Ni_2 Al$ and $CeRu_4 Sb_{12}$	838
6. $CcCu_2 Si_2$	838
7. UBe_{13}	838
8. $CeTIn_5$, $T = Ir, Co, Rh$	839
9. $UCoAl$	839
10. $CaRuO_3$	839
11. $U_3 Ni_3 Sn_4$	839
C. Pressure-induced non-Fermi-liquid behavior	840
1. Systems superconducting under pressure	840
a. $CePd_2 Si_2$	840
b. $CeCu_2 Si_2$	840
c. $CeCu_2 Ge_2$	841
d. $CcIn_3$	841

Unanswered questions

- Is disorder a necessary component?
 - first NFL's were all substituted
 - many new “ordered” ones coming online
 - even “ordered” ones may have issues (eg. CeCu_2Si_2)
- Does disorder even matter?
 - well, how much are we talking about?
- Is this a new state of matter?

Three Possible Types of NFL Models

(There are others: multichannel Kondo, etc...)

Quantum Critical Point

NFL is generated from critical fluctuations above a zero-temperature critical point (Millis *et al.* '93) (Rapoport *et al.*, 2001).

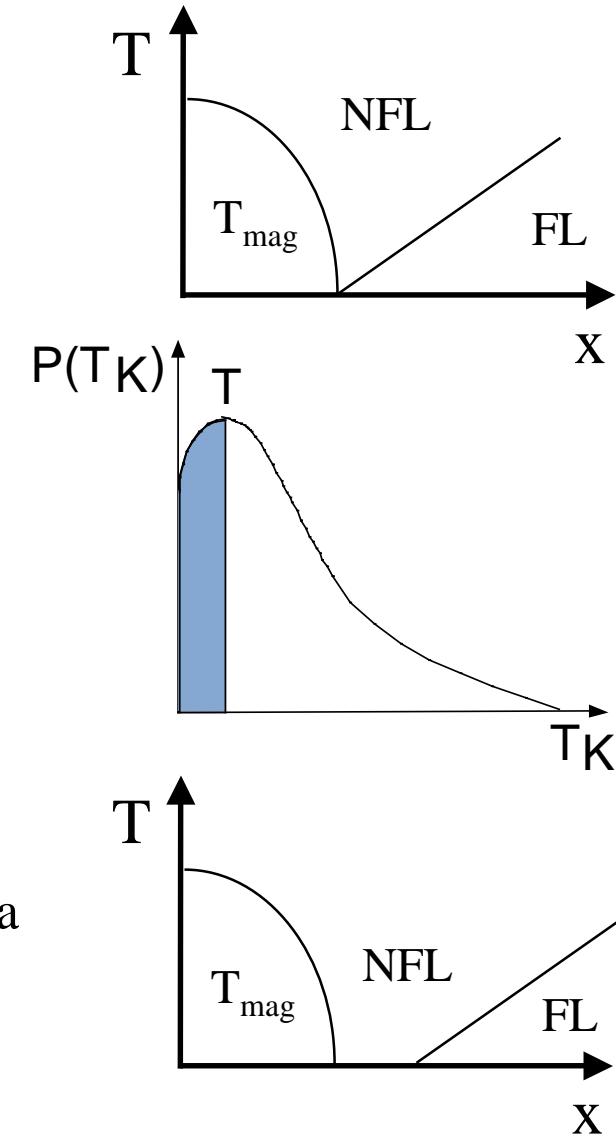
Kondo Disorder Model

Bernal *et al.* '95

Disorder causes distribution of T_K 's within a strict single-impurity model. Moments with $T_K < T$ are unquenched and give rise to NFL behavior.

Disorder+Competition (Griffiths)

NFL behavior due to proximity to a metal-insulator transition fixed point (**Anderson localization**, Miranda *et al.*) or to a magnetic/nonmagnetic fixed point (**RKKY**, Castro Neto *et al.*), each in presence of disorder and anisotropy.



Effects of lattice disorder (Kondo lattice disorder model, or KLDM)

Only Kondo interactions

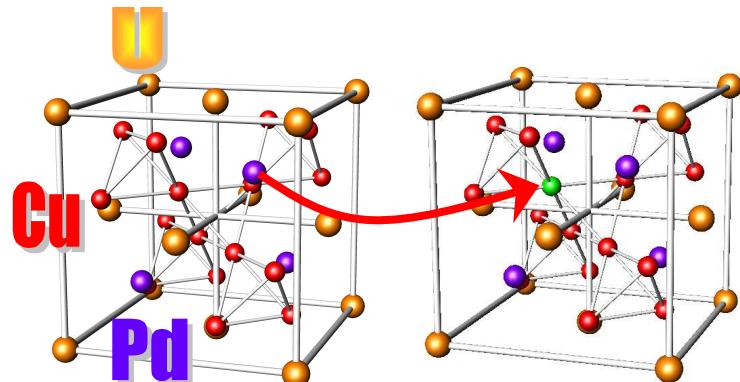
$$T_K = T_F \exp - \frac{\epsilon_f}{N(0)V_{\text{Total}}^2}$$

tight-binding :
model

$$V_{fd} = \eta_{fd} \frac{(r_f^5 r_d^3)^{1/2}}{R_{f-d}^6}$$

Harrison and Straub

- Two types of lattice disorder: discrete and continuous



$$V_{\text{Total}} = \sum_{\text{bonds}} V_{fd}$$

- r_d varies as species change

T_F : conduction band width

ϵ_f : f-level energy

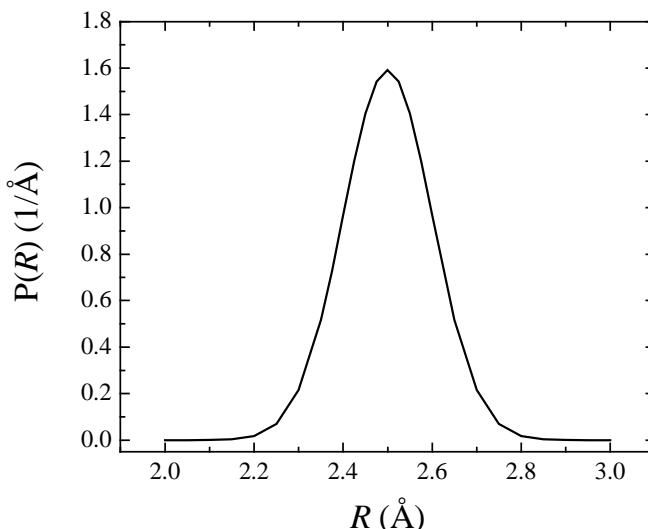
V_{Total} : f/d hybridization energy

η_{fd} : constant

r_f : outer f-radius

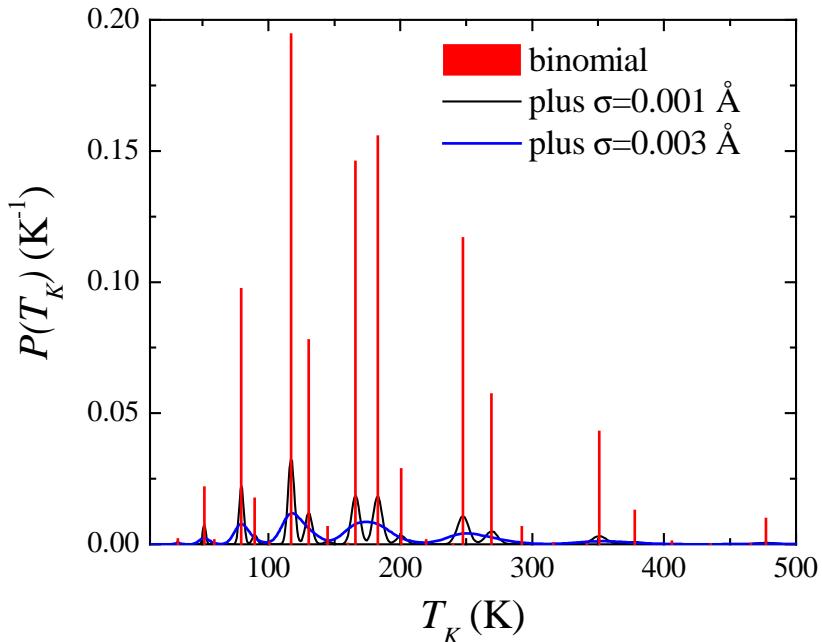
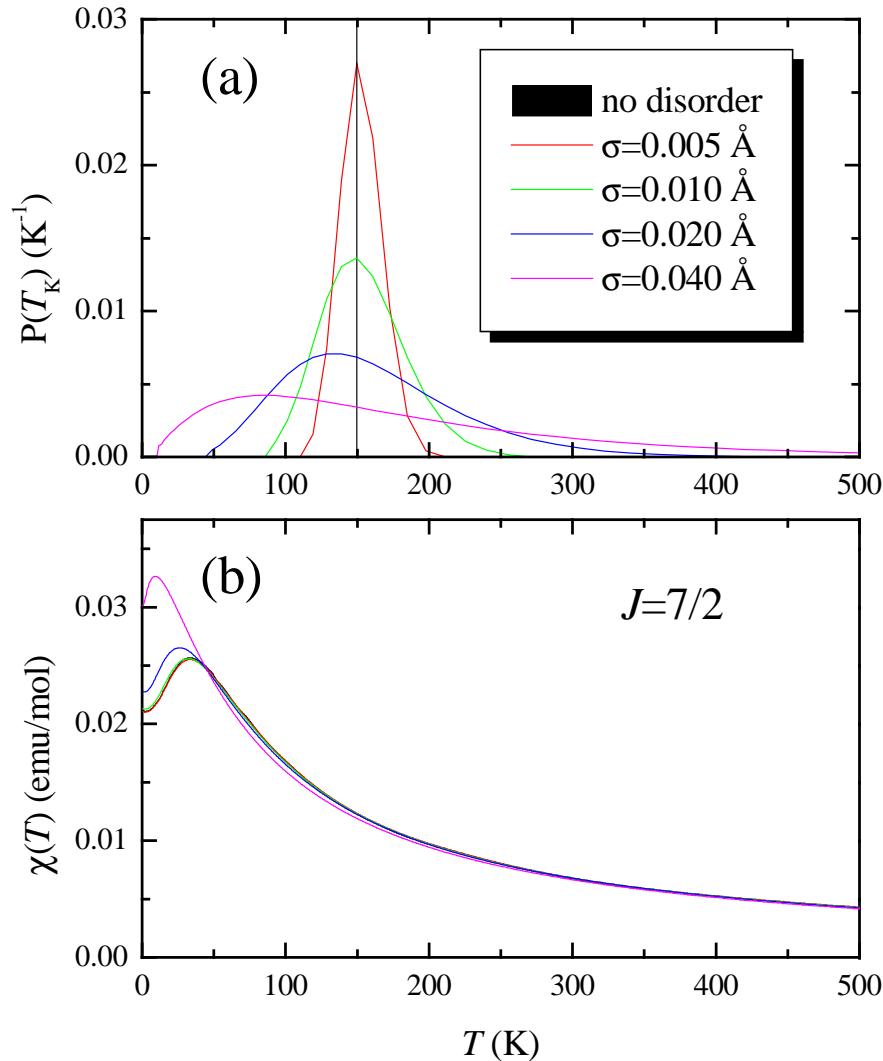
r_d : outer d-radius

R_{f-d} : f-d bond length



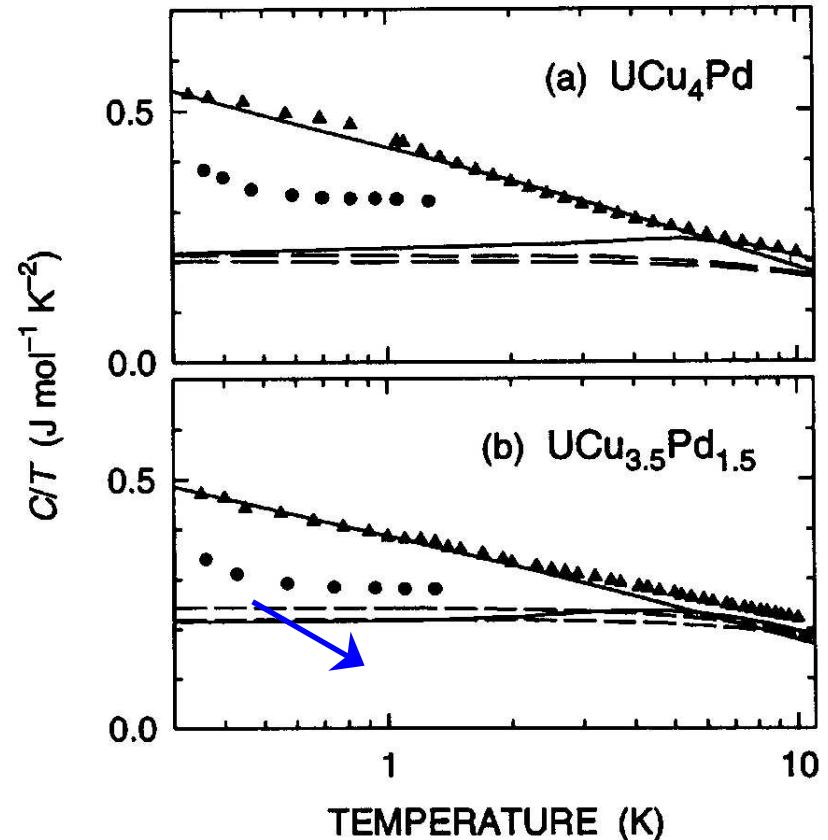
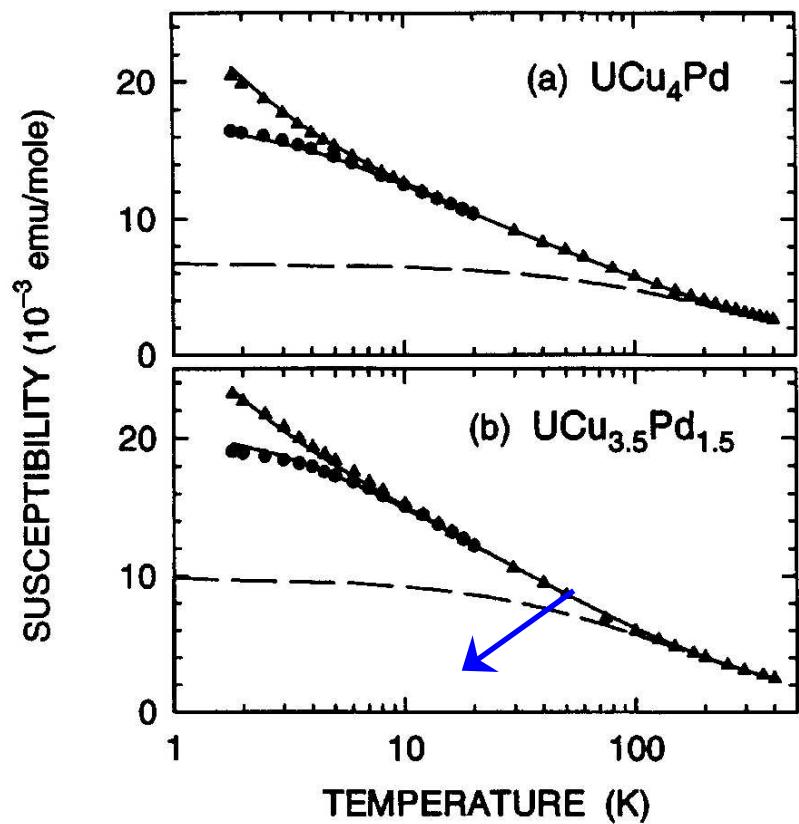
- $P(V)$ involves convolution with $P(R)$

NFL must have continuous disorder in KLD**M**!



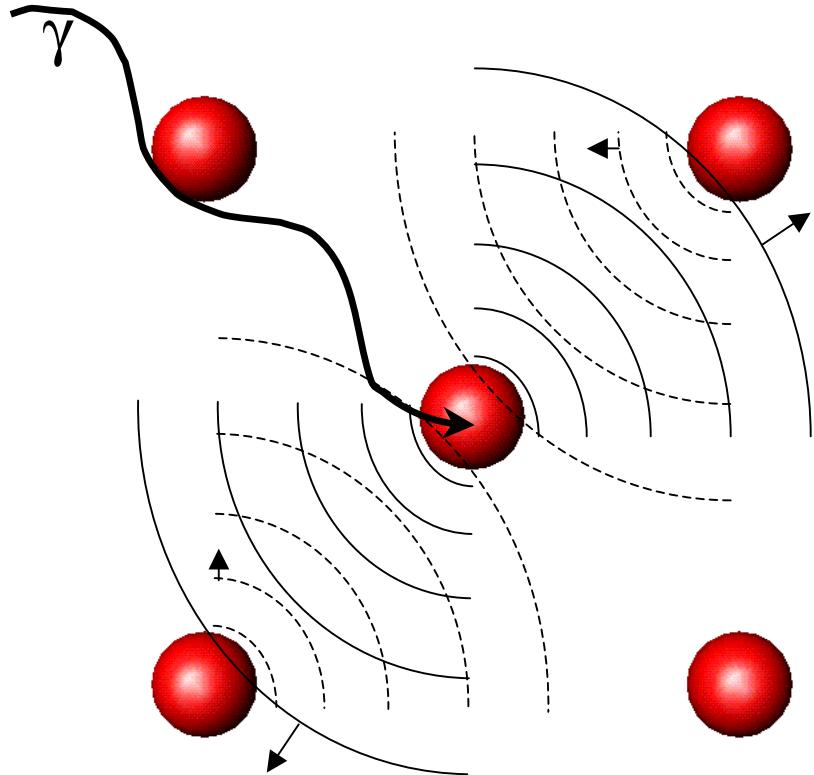
- For KLD**M** to work, must have weight in $P(T_K)$ at very low T_K .
- Site interchange will never provide this weight by itself!

NFL behavior in $\text{UCu}_{5-x}\text{Pd}_x$



- A distribution of T_K 's can describe all these data!
- **Warning:** this is pedantic: KDM has many problems!

Interference of photoelectron waves



“I was brought up to look at the atom as a nice hard fellow, red or grey in colour according to taste.”

- Lord Rutherford

- Interference of outgoing and incoming part of photoelectron modulates absorption coefficient:

$$\mu \propto \left| \langle f | \epsilon \cdot r | i \rangle \right|^2$$

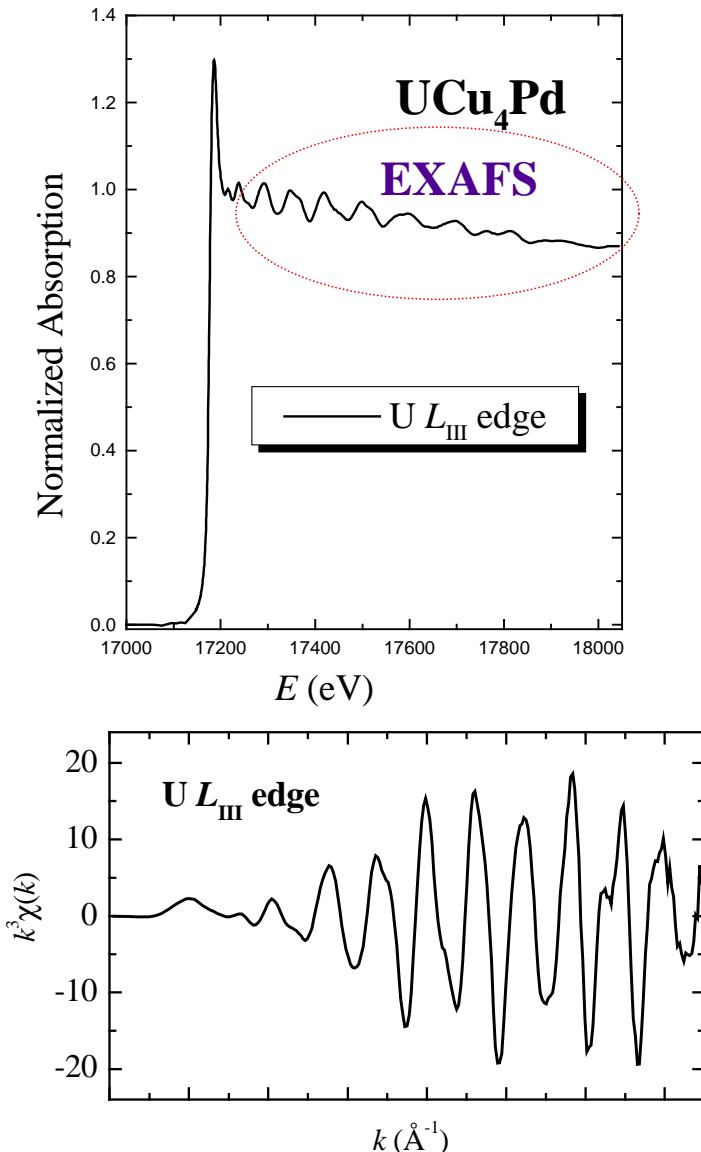
$$\mu = \mu_0 (1 + \chi(k))$$

$$\chi(k) \propto \sum_i N_i \int g(r) \sin(2kr + \phi_{ci}) dr$$

g is a radial pair - distribution function

- **Big advantage:** Atomic-species specific.
- **Disadvantages:** very short range ($\sim 5\text{-}6 \text{ \AA}$), sensitive to multiple scattering, overlapping edges...

Extended x-ray absorption fine-structure (EXAFS)

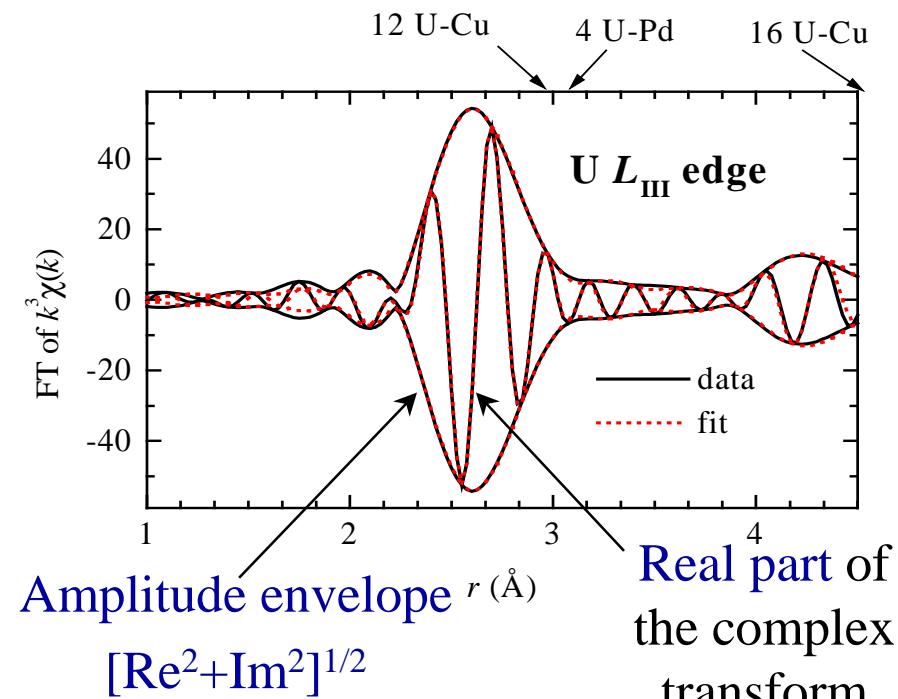


- sample absorption is given by

$$\mu t = \log_e(I_1/I_0)$$

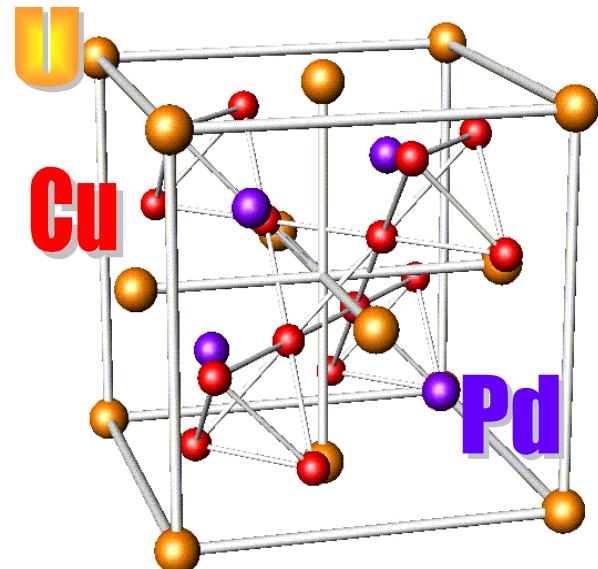
- EXAFS $\chi(k) = [\mu(k) - \mu_0(k)]/\mu_0(k)$

$$\chi(k) \propto \sum_i N_i \int g(r) F(k, r) \sin(2kr + \phi_{ci}) dr$$

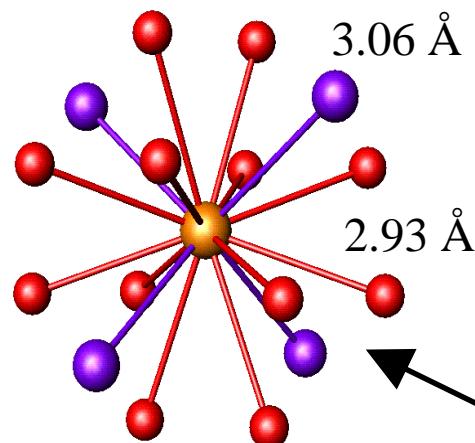


Real part of
the complex
transform

UCu_4Pd average and local structure

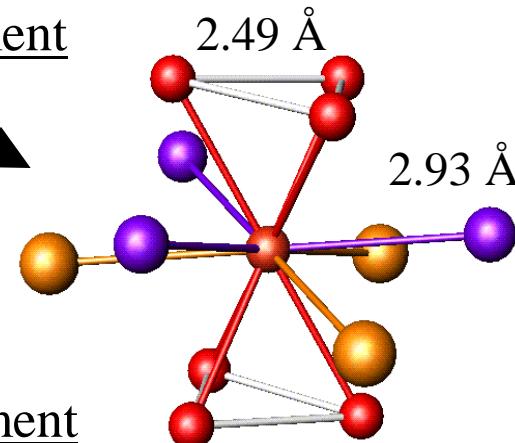


- U (*4a*) environment is identical to Pd (*4c*) environment, except U/Pd are switched. Nearest-neighbors are Cu (*16e*) at $\sim 2.93 \text{ \AA}$
- Cu environment differs due to tetrahedrons. Nearest-neighbors are Cu at 2.49 \AA
- Determine amount of site interchange by number of *Pd'*-Cu pairs at 2.49 \AA
- *Definition:* Pd' denotes a Pd on a *16e* site, Cu' denotes a Cu on a *4c* site.

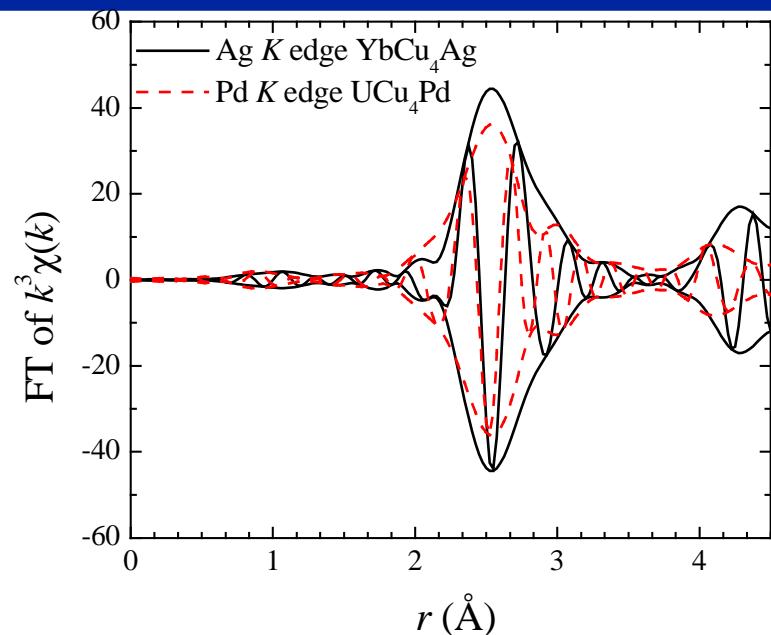


Local Copper environment

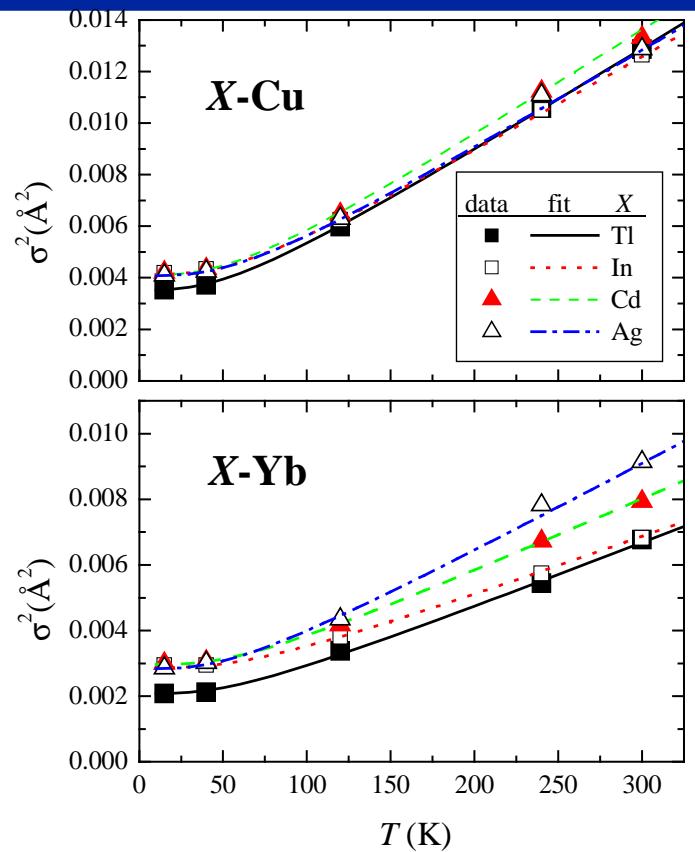
Local U and Pd environment



A “zero-disorder” example: YbCu_4X



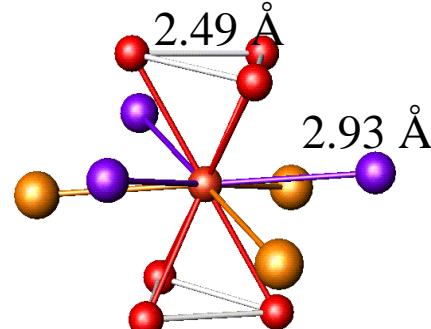
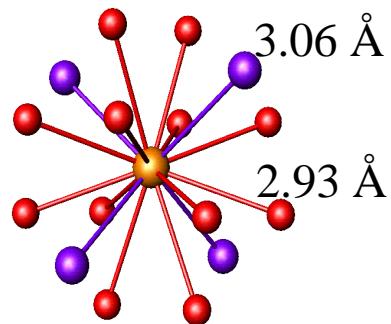
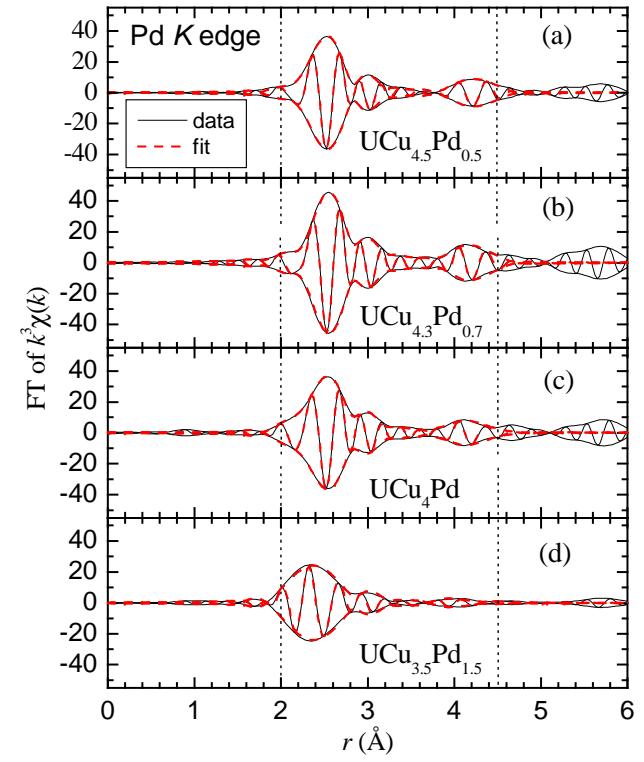
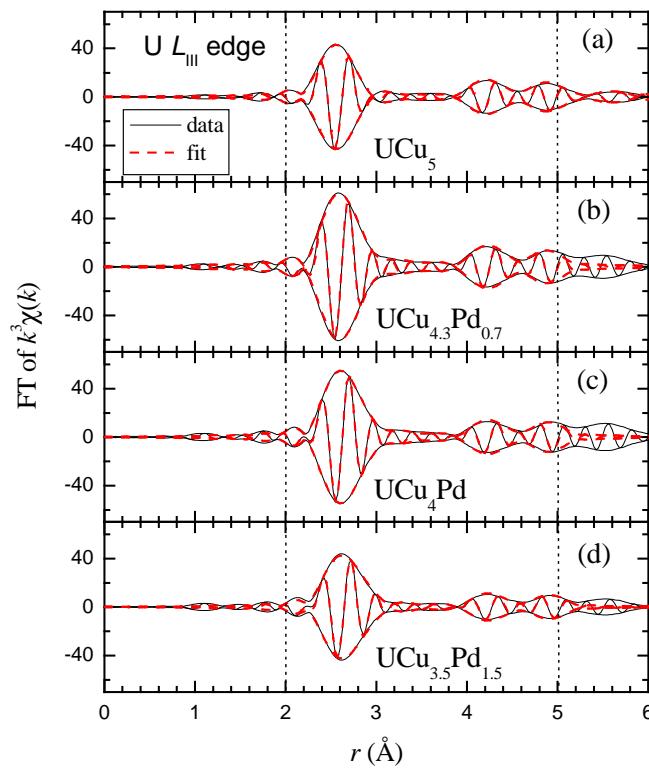
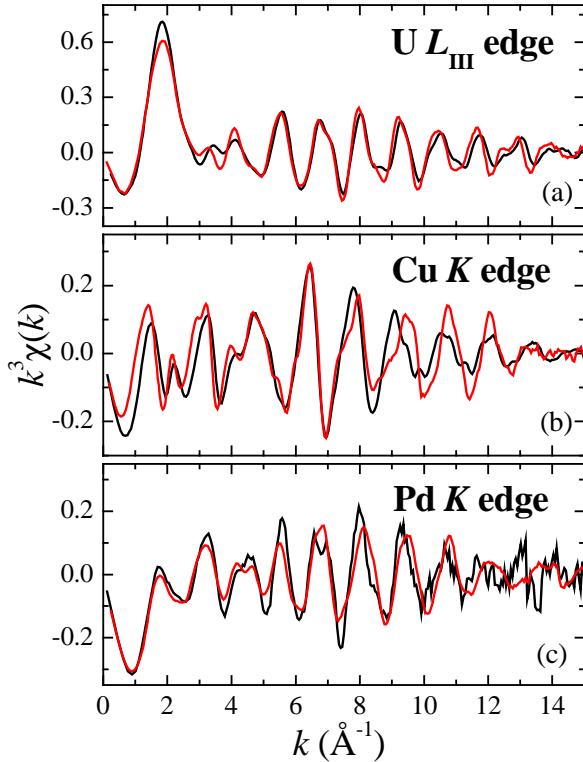
X	S02	$\Theta_{\text{cD}}(\text{K})$		$\sigma_{\text{static}}^2(\text{\AA}^2)$		X/Cu inter-change
		Cu	Yb	Cu	Yb	
Tl	0.89(5)	230(5)	230(5)	0.0004(4)	0.0005(5)	4(1)%
In	1.04(5)	252(5)	280(5)	0.0009(4)	0.0011(5)	2(3)%
Cd	0.98(5)	240(5)	255(5)	0.0007(4)	0.0010(5)	5(5)%
Ag	0.91(5)	250(5)	235(5)	0.0008(4)	0.0006(5)	2(2)%



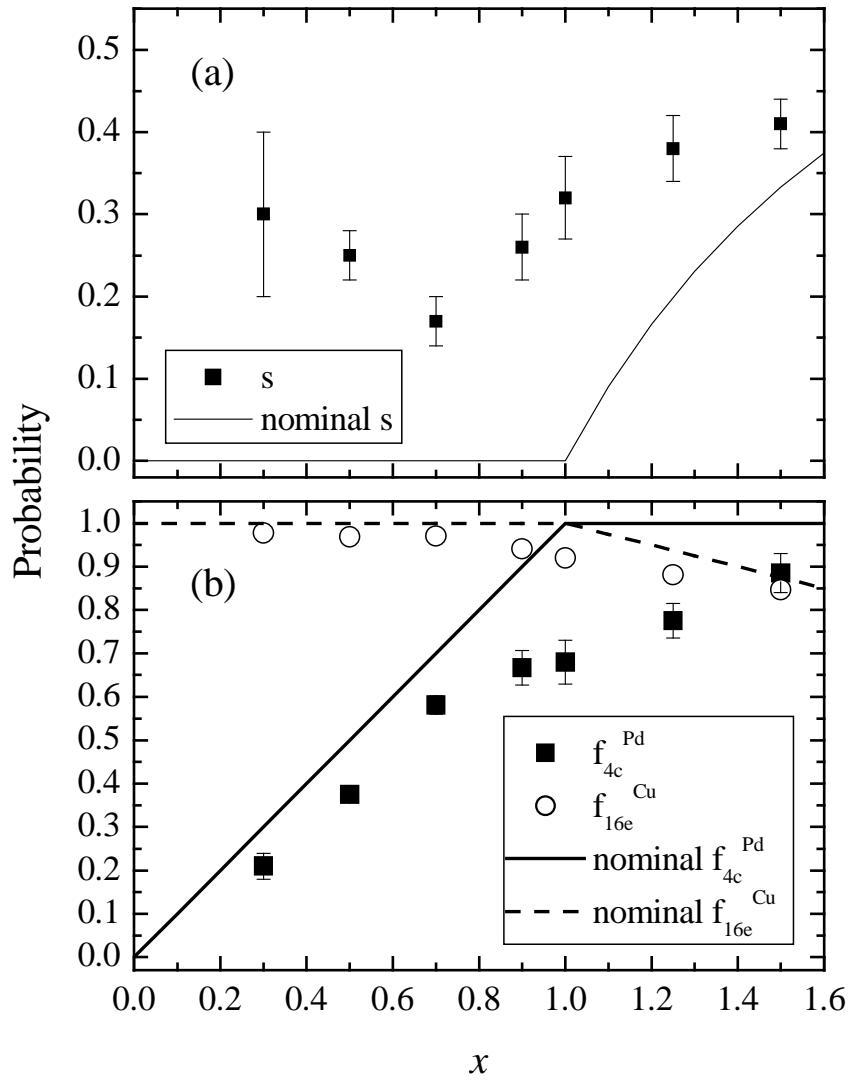
$$\sigma_{AB}^2(T) = \sigma_{\text{static}}^2 + F(\mu_{AB}, \Theta_{\text{cD}})$$

J. L. Lawrence et al., PRB
63, 054427 (2000).

XAFS data on $\text{UCu}_{5-x}\text{Pd}_x$



Pd K-edge fit results

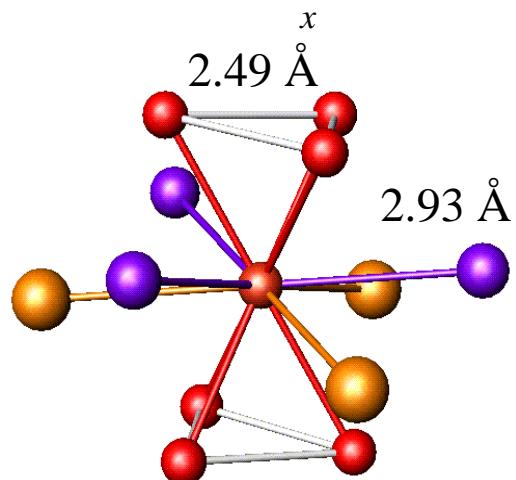
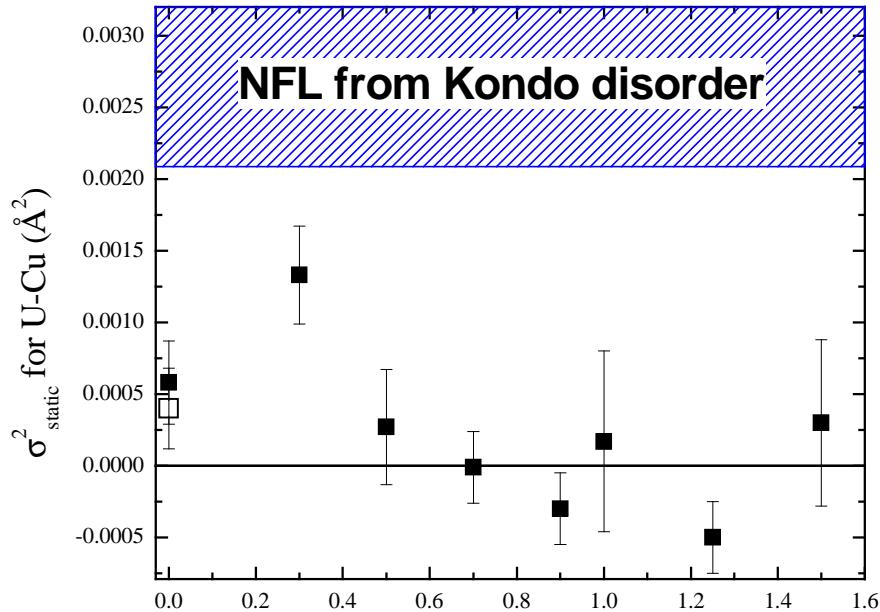


- Fit to all single-scattering paths out to the 16 Pd-Cu's at ~ 4.59 Å.
 - Including all site interchange, fits use 15 paths.
 - Like bond lengths constrained together.
 - Like bond length Debye-Wallers constrained together ($\sigma_A^2 = (\mu_B/\mu_A)\sigma_B^2$).
 - Amplitude ratio's constrained.
Two possible descriptions:
- s, x : $s = N_{\text{Pd}}(16e)/N_{\text{Pd}}(\text{Total})$
- $f_{4c}^{\text{Pd}}, f_{16e}^{\text{Cu}}$: f_{4c}^{Pd} is fraction of 4c sites with Pd, etc.
- e.g. Pd'-Cu @ 2.5 Å has $6S_0^2 s f_{16e}^{\text{Cu}}$ neighbors

C. H. Booth et al., PRL 81, 3960 (1998); E. D. Bauer et al., PRB 65, 245114 (2002).

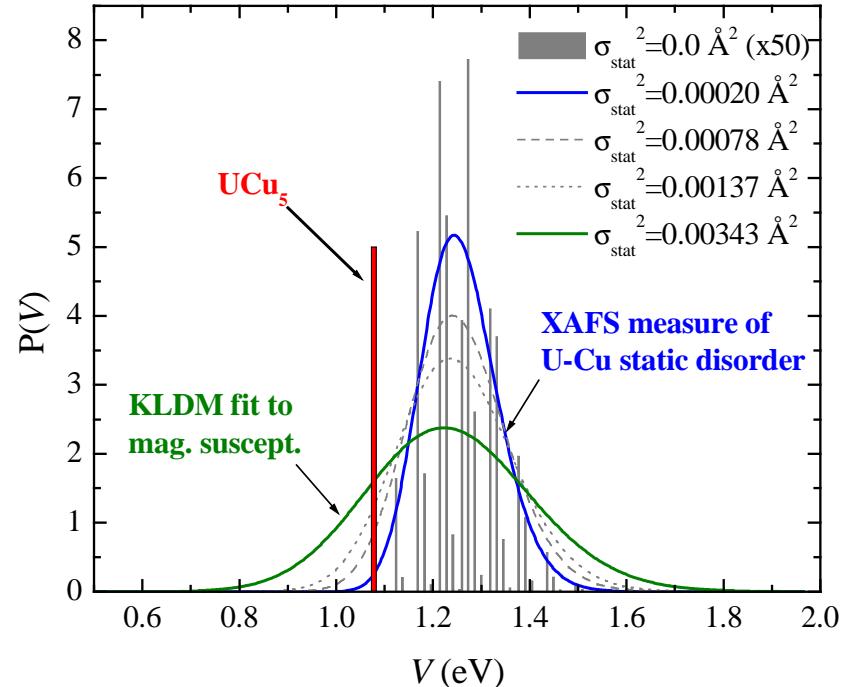
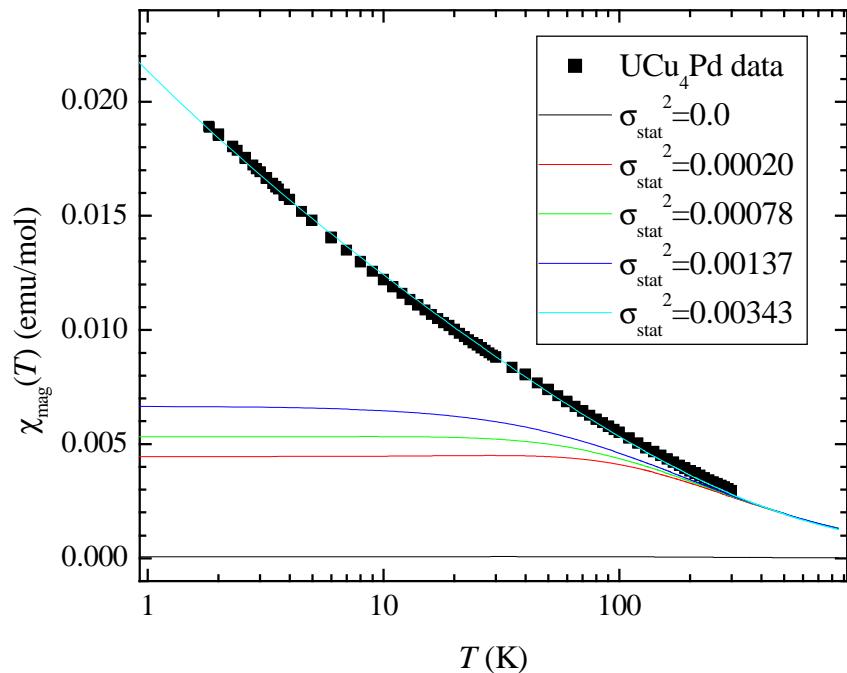
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No measurable continuous U-Cu disorder!



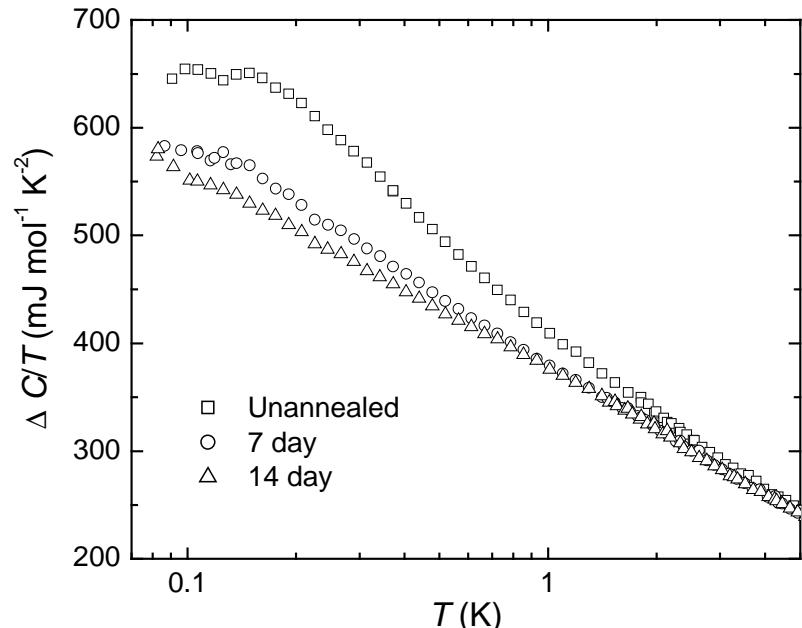
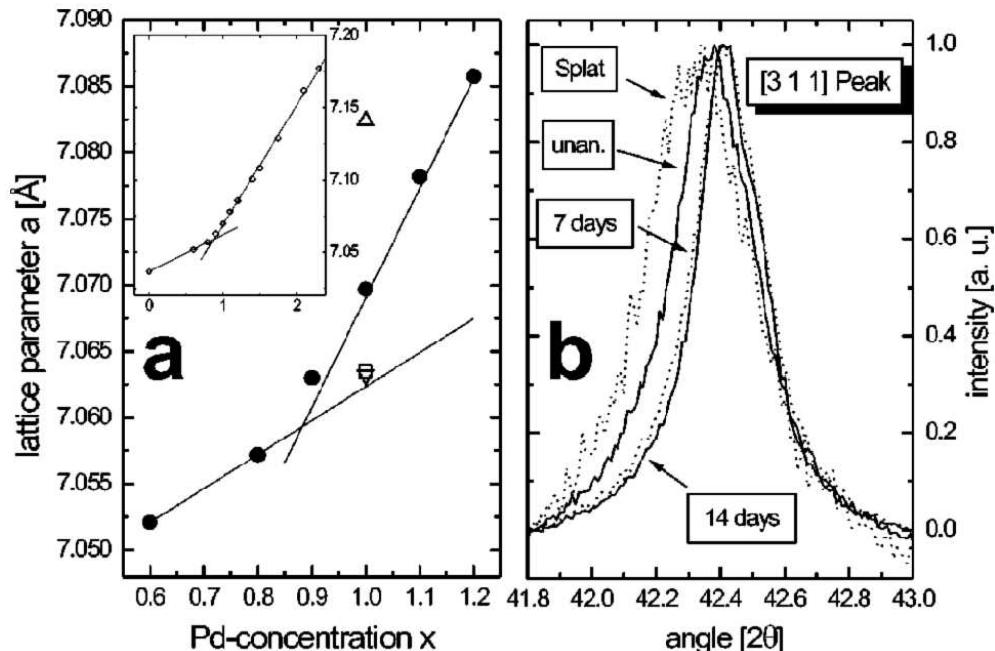
- NFL “limit” for KLDM is generous: we estimate the best fit with 0.0034 \AA^2 .
- Only the $x=0.3$ sample is anomalous... oxidation?
- Cu K edge fits indicate a nearest neighbor Cu-Cu distance of $\sim 2.48 \text{ \AA}$
- Pd K edge fits indicate a Pd'-Cu distance of $\sim 2.55 \text{ \AA}$
- Together no σ_{static}^2 for U-Cu, the Cu displacements near a Pd' must be nearly perpendicular to the U-Cu pairs.

Disorder: Is it enough?



- **KDM:** NFL is not from disorder in V_{fd} . This probably can't generate enough disorder in $N(0)$ either (Miranda).
- **RKKY clusters?** ~0.5% of uranium environments have a V_{fd} that is equal to or less than that in UCu_5 .
- **Anderson localization?** only 0.0025% of UCu_5 -like uranums have a similar neighbor.

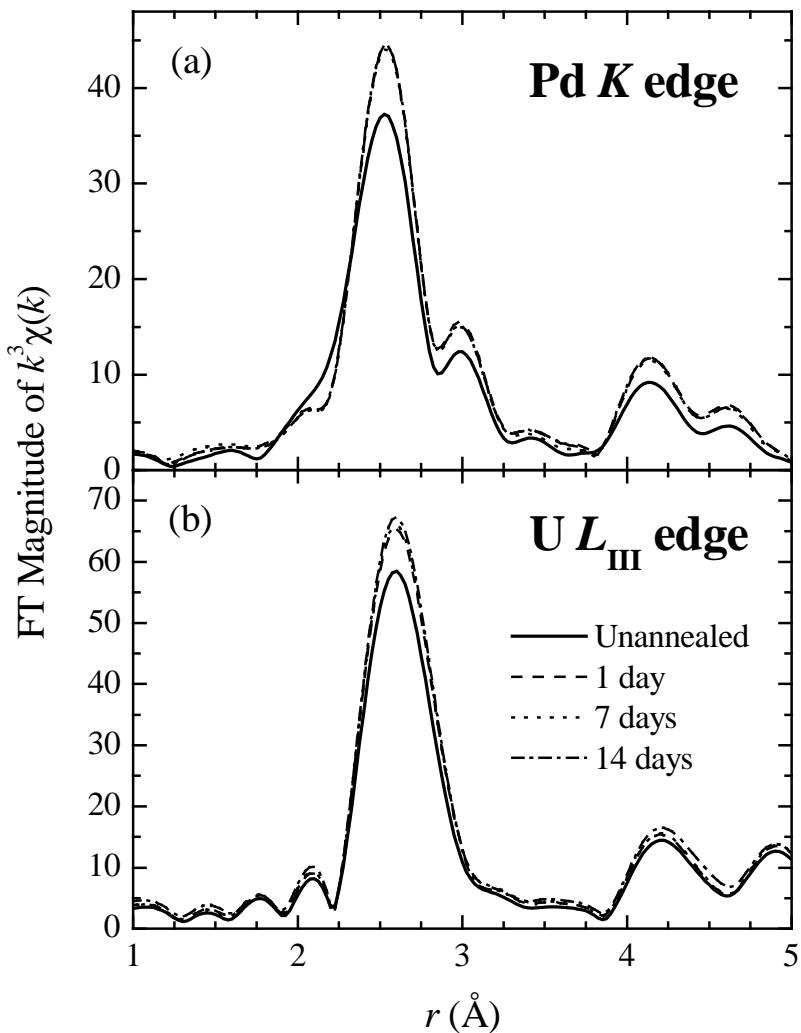
Effects of annealing



A. Weber et al., PRB 63, 205116 (2001).

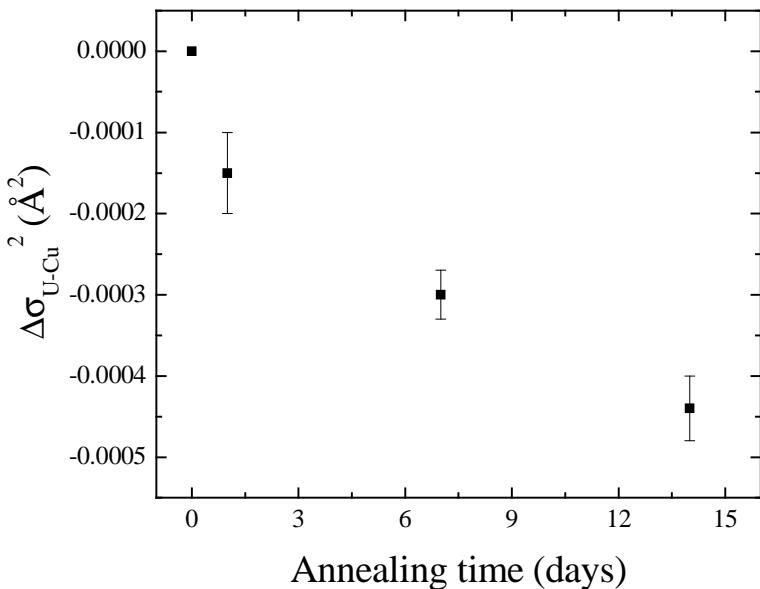
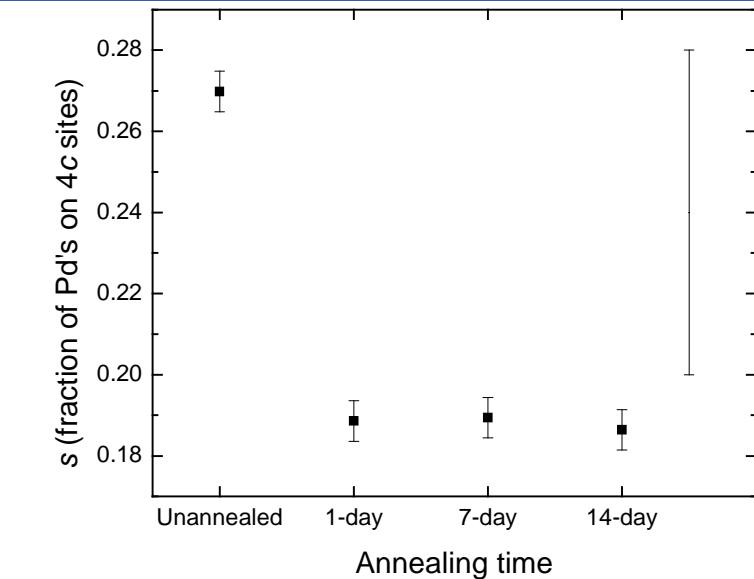
- Annealing suppresses spin glass transition, removes linear resistivity but logarithmic C/T remains ?!?!?
- Quick point: Entropy under this logarithmic divergence is close to $R \log 2$

Both site interchange and bond length distributions affected by annealing



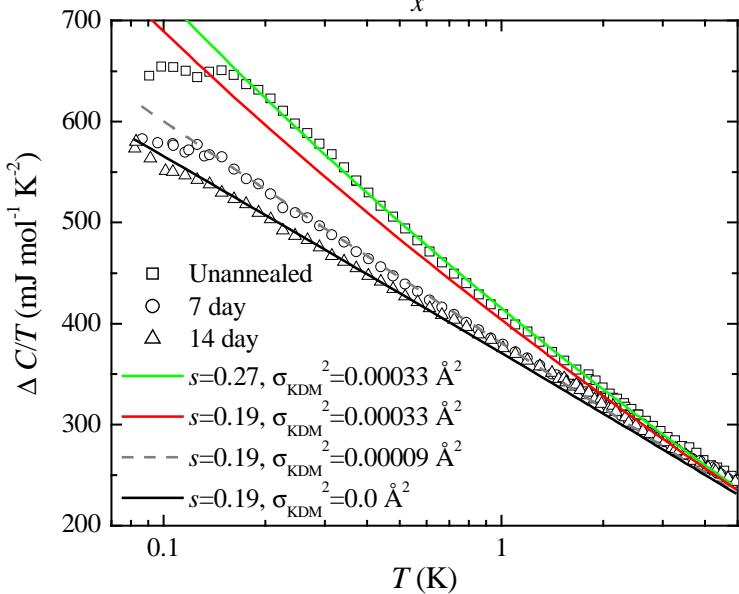
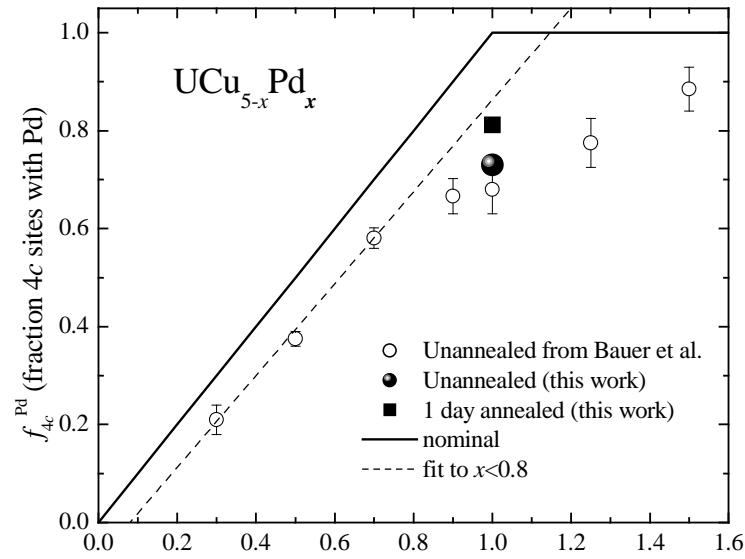
- Measure (*discrete*) site interchange with Pd K edge XAFS
- Measure (*continuous*) U-X bond length disorder with temperature dependence of distribution widths (Debye-Waller factors).
- *Complication:* U-Cu and U-Pd pairs strongly overlap, so need to be able to include degree of site interchange as a constraint to the $U L_{\text{III}}$ -edge fits.
- *Solution:* Fit to a site interchange model.

Effects of annealing



- Structurally, two things happen:
 - site interchange is reduced, but not after more than 1 day of annealing
 - U-Cu bond length distribution width decreases, even after 14 days of annealing
- Main points:
 - s decreases, but is still fairly large
 - U-Cu orders, but it is already very close to fully ordered ($\Delta\sigma \sim -0.02 \text{ \AA}$)

Effects of annealing



- f_{4c}^{Pd} of unannealed samples very consistent with changes in lattice parameter: x vs. f_{4c}^{Pd} is linear, except with a change in slope at $x \sim 0.85$
- Annealing increases f_{4c}^{Pd} , similarly to change in d
- It is possible to parameterize *changes* in heat capacity as arising only from *changes* in s and σ_{U-Cu}

$$W_V^2 = W_0^2 + W_{KDM}^2$$

“Dark” width

W_{KDM}^2 σ_{KDM}^2

- ANSWER(?): NFL state is somehow “pre-loaded”, possibly as a consequence of disorder.

What the heck is W_0 ?

$$T_K = T_F \exp - \frac{\epsilon_f}{N(0)V_{\text{Total}}^2}$$

- **KDM by itself does not work!**
 - linear resistivity goes away on annealing (Weber et al., PRB 63, 205116 (2001))
 - μ SR indicates glassy spin dynamics (MacLaughlin et al., PRL 245114)
 - Short range (< unit cell) magnetic correlations exist (Aronson et al., PRL 87, 197205 (2001))
 - Distribution of moments at high fields (>51 kOe) inconsistent with KDM (Buttgen et al., 62, 11545 (2000))
- **Disorder can generate width in $N(0)$** (not enough says Miranda, but could be says Cox)
- **Is W_0 due to a QCP?** Idea is similar to proposed by Grempel and Rozenberg PRB 60, 4702 (1999), and to Rappoport et al., PRB 64, 140402 (2001).
- **Is clustering important?**

CeRhRuSi₂



U₃Ni₃Sn₄

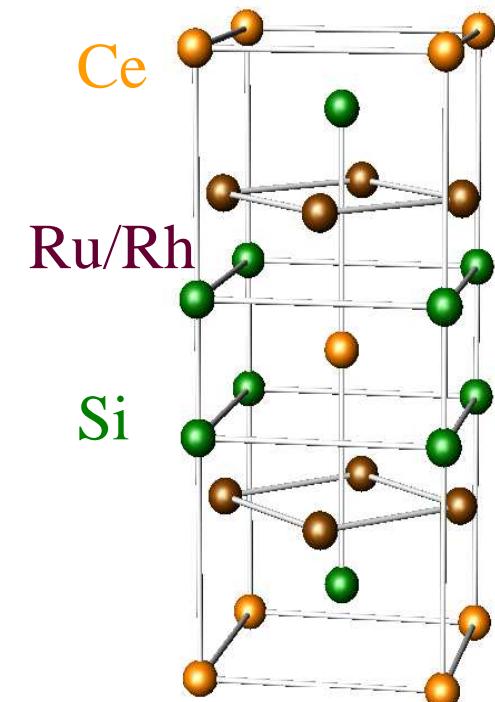
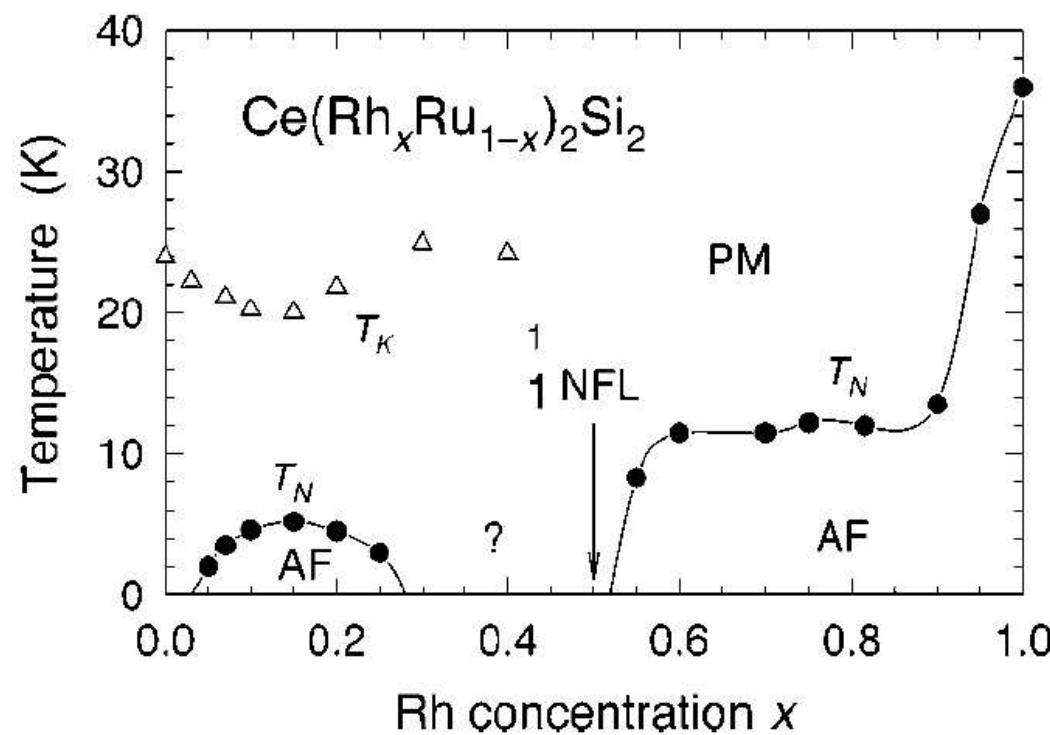


Data summary

Non-Fermi liquid (NFL) and Ce(Ru_{1-x}Rh_x)₂Si₂

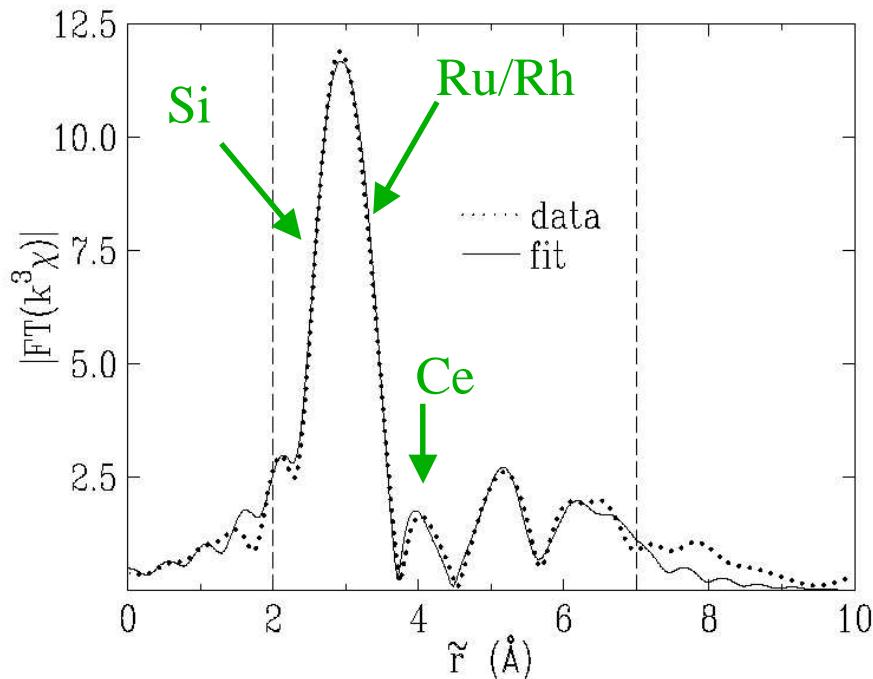
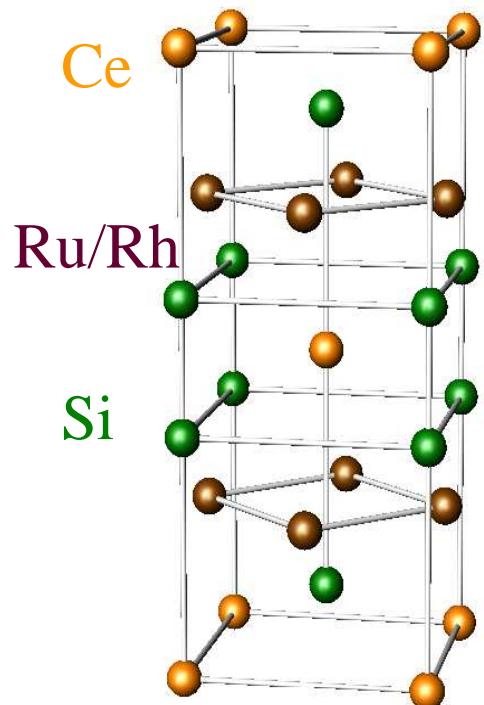
	FL	NFL
Susceptibility $\chi(T)$	\propto <i>constant</i>	$-\log(T)$
Specific heat $C(T)/T$	\propto γ	$-\log(T)$
Electrical resistivity $\rho(T)$	\propto T^2	T

G. R. Stewart, RMP, (2001)



C. Y. Liu *et al.*, PRB **61**, 432 (2000)

XAFS Study near Ce atom in CeRuRhSi₂

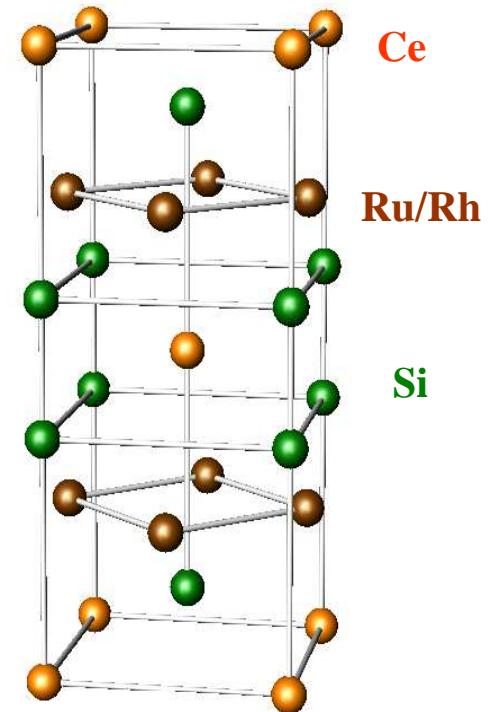
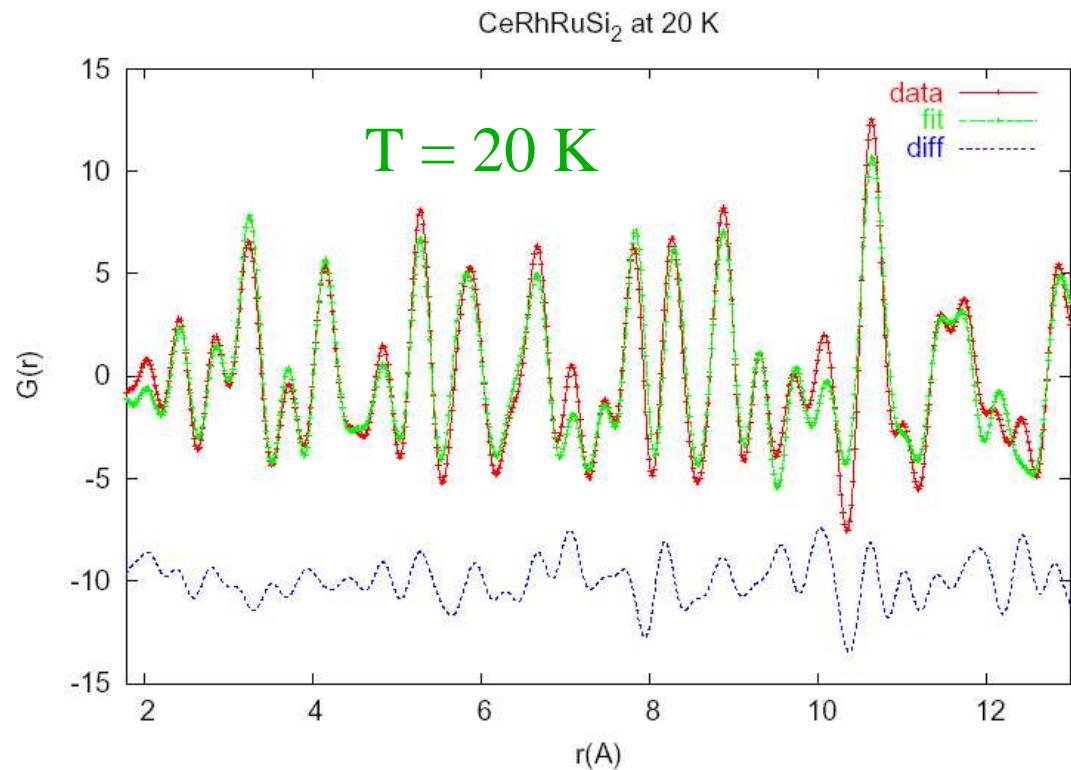


Bonding length (Å):
Ce-Si: 3.218(6)
Ce-Ru/Rh: 3.254(3)
Ce-Ce: 4.150(10)

Fitting parameters:

S_0^2	total data point	variables	fitting freedom	r-factor	reduced- χ^2
0.85(10)	23	14	9	0.0054	3.26

PDF Analysis of CeRuRhSi₂



Total disorder factors:

u11 (Ce)	u11(Ru/Rh)	u11 (Si)
0.000359(7)	0.0030(11)	0.0029(3)

Small total disorder factors suggest that static disorder is negligible!!!

Summary of structural disorder in CeRuRhSi₂

	σ^2 (\AA^2)	$\sigma^2(\text{static})$ (\AA^2)	bonding length (\AA)
Ce-Si	0.0033(6)	0.0003(4)	3.215(6), 3.187
Ce-Ru/Rh	0.0014(3)	-0.0004(2)	3.254(3), 3.257
Ce-Ce	0.0011(9)	0.0003(14)	4.15(1), 4.161
Ru-Si	0.0011(3)	-0.0003	2.373(3), 2.399
Ru-Ru/Rh	0.0011(2)	-0.0001	2.934(3), 2.888
Ru-Ce	0.0022(2)	-0.0003	3.231(4), 3.257
Rh-Si	0.0015(3)	0.0004(3)	2.390(4), 2.399
Rh-Ru/Rh	0.0012(1)	-0.0003(2)	2.911(3), 2.888
Rh-Ce	0.0025(3)	-0.0002(2)	3.236(4), 3.257

T = 20 K

XAFS:
Short-range

	$u(11)$ (\AA^2)
Ce	0.00036(1)
Ru/Rh	0.0030(11)
Si	0.0029(3)

} PDF:
Intermediate-range

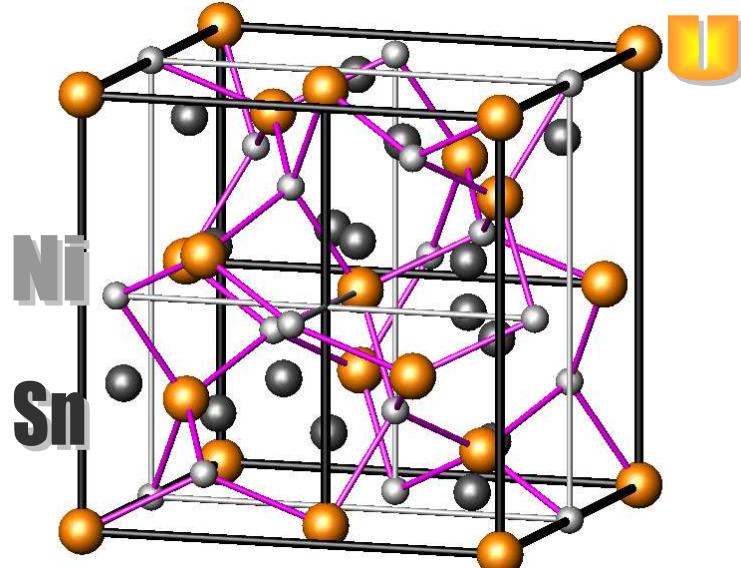


Last words

Is $\text{U}_3\text{Ni}_3\text{Sn}_4$ best described as near an AF QCP?

- $\text{U}_3\text{Ni}_3\text{Sn}_4$ is an undoped, ambient pressure non-Fermi liquid.
- Evidence of an AF critical point at -0.04 GPa (Estrela *et al.*, (2001)).
- A “Hertz and Millis” Quantum Critical Point?

$$C/T \approx \gamma - A T^{0.5} \quad (\checkmark) \quad \chi \propto T^{-0.3} \quad (? , 0.5) \quad \Delta\rho \propto T^{1.8} \quad (? , 0.5)$$



- Cubic, bcc, I $-43d$, $a_0 = 9.3524$ Å
- residual resistivity $7 \mu\Omega \text{ cm}$
- single crystal XRD good
- No temperature-dependent structural studies exist
- Disorder models have been shown to be capable of providing NFL behavior

No static offsets necessary

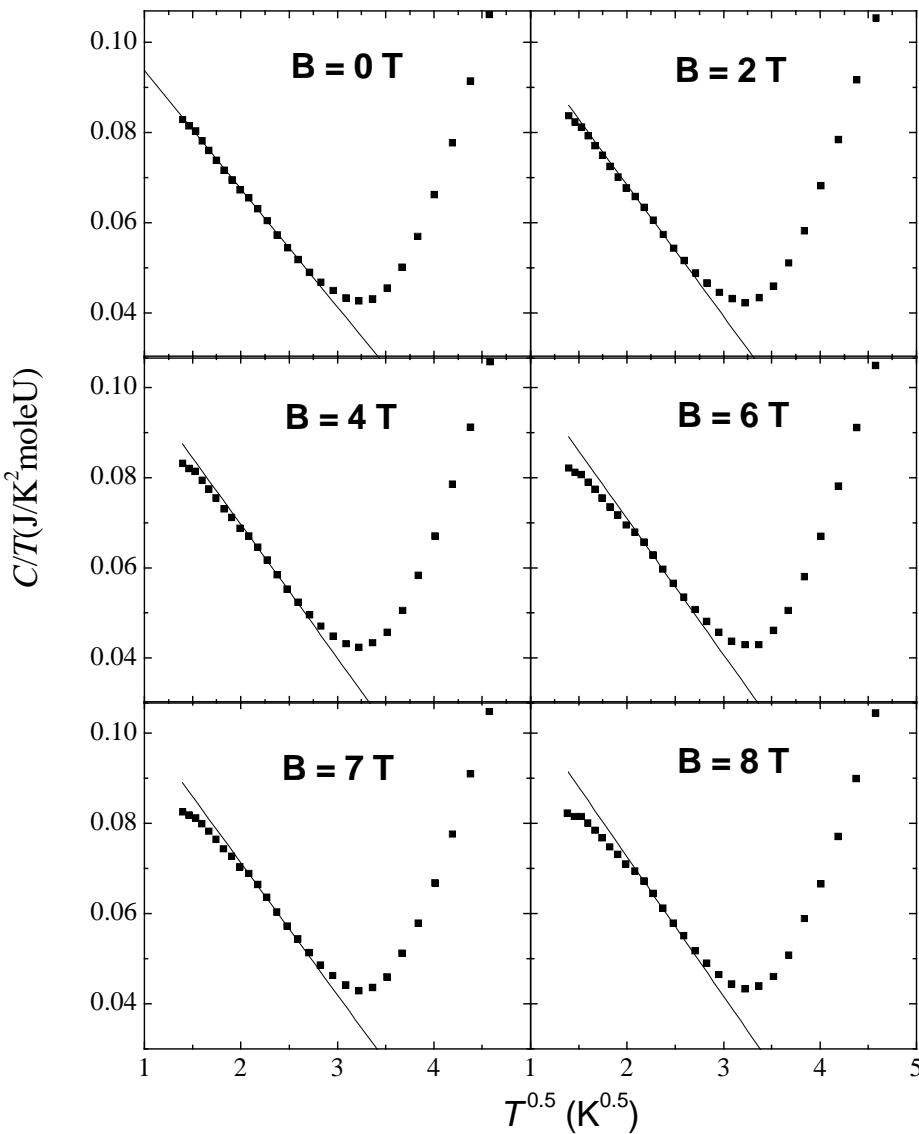
TABLE I: Final fit parameters to the U L_{III} and Sn K edge data at 20 K on three powder samples of $\text{U}_3\text{Ni}_3\text{Sn}_4$. U L_{III} edge fits have $S_0^2 = 0.73 \pm 0.06$ and $\Delta E_0 = -10.3 \pm 0.4$. Sn K edge fits have $S_0^2 = 0.95 \pm 0.06$ and $\Delta E_0 = -8.3 \pm 0.1$. Diffraction data was collected at room temperature.

pair	N	R_{diff}	U2.9Ni3.0Sn3.9			U3.0Ni3.1Sn3.9			U3Ni3Sn4			
			R	σ^2	σ_{static}^2	Θ_{cD}	R	σ^2	σ_{static}^2	Θ_{cD}	Θ_{cD}	
U-Ni	4	2.864	2.848(4)	0.0019(4)	-0.0004(5)	282(2)	2.848(3)	0.0019(2)	-0.0005(5)	259(4)	2.848(3)	0.0018(2)
U-Sn	8	3.237	3.226(4)	0.0009(2)	-0.0009(3)	231(1)	3.226(3)	0.0009(2)	-0.0007(3)	233(1)	3.228(2)	0.0011(2)
U-U	8	4.374	4.355(5)	0.0014(2)	-0.0005(3)	173(2)	4.355(3)	0.0014(2)	-0.0000(3)	169(3)	4.36(1)	0.0016(3)
U-Ni	2	4.676	4.67(1)	0.0022(6)			4.67(1)	0.0022(4)			4.67(1)	0.0015(3)
Sn-Ni	3	2.609	2.597(3)	0.0027(2)	-0.0003(2)	349(4)	2.599(3)	0.0027(2)	0.0008(3)	359(3)	2.604(3)	0.003(1)
Sn-U	6	3.237	3.232(7)	0.0016(2)	-0.0004(2)	246(2)	3.228(3)	0.0012(2)	-0.0004(2)	273(5)	3.223(5)	0.0006(4)
Sn-Sn	3	3.497	3.500(4)	0.004(1)	-0.000(1)	245(6)	3.496(3)	0.0017(5)	-0.0001(6)	250(20)	3.50(3)	0.003(3)
Sn-Sn	2	4.050	4.03(1)	0.01(1)			4.02(1)	0.0024(7)			3.98(3)	0.003(3)
Sn-Ni	3	4.232	4.16(5)	0.01(1)			4.22(1)	0.005(2)			4.25(3)	0.002(1)
Sn-Sn	6	4.594	4.598(4)	0.0034(3)			4.596(3)	0.0023(2)			4.60(3)	0.002(1)

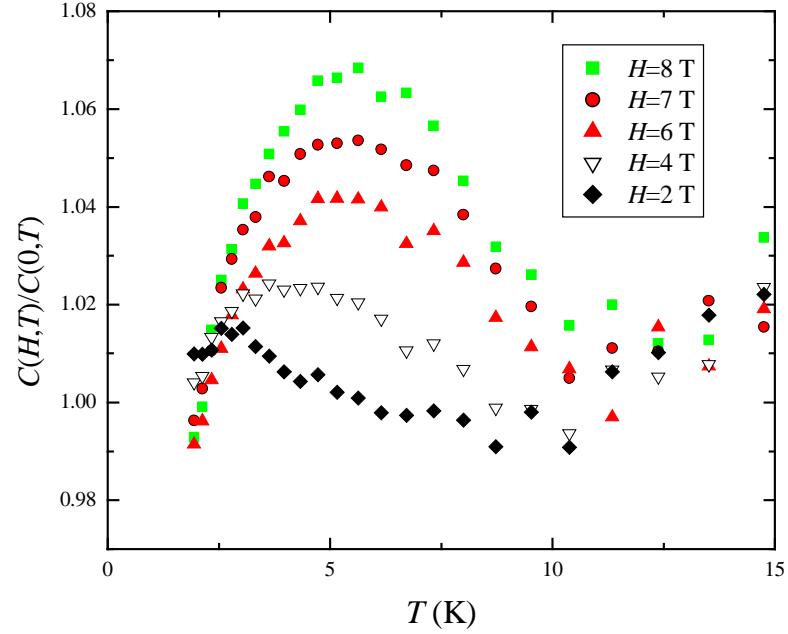
Atom pair	$\sigma_{\text{offset}}^2(\text{\AA}^2)$	$\Theta_{\text{cD}}(\text{K})$
U-Ni	-0.0009(4)	252(5)
U-Sn	-0.0006(3)	241(1)
U-U	-0.0007(3)	159(4)

No evidence of site interchange either...

Field-dependence of heat capacity



- Zero applied field, $C/T \sim T^{0.5}$, indicative of NFL behavior
- Fermi liquid behavior appears to be recovered in relatively small applied fields
- ($\text{U}_3\text{Ni}_3\text{Sn}_4$ behaves similarly to CeCoIn_5 , another system with a “negative pressure” critical point...)



Comparison to Griffths-McCoy... a Schottky anomaly?

- High-field limit:

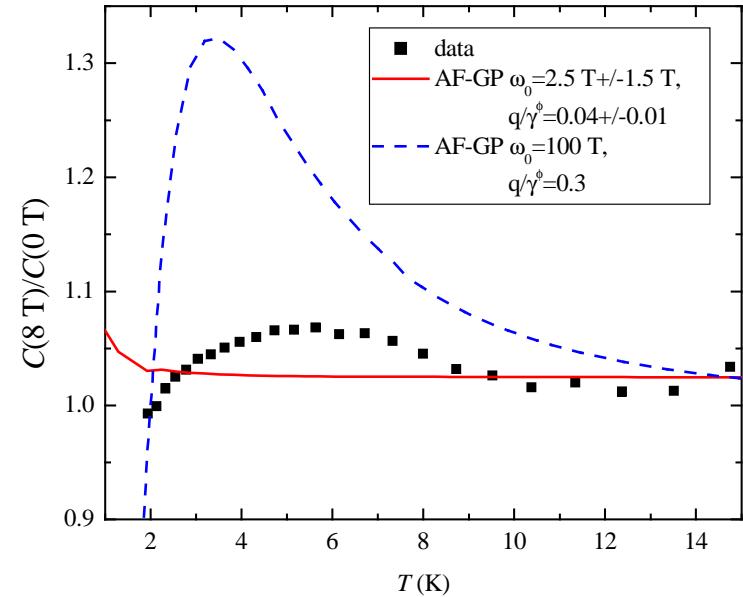
$$C_{\text{el}} / T \propto \frac{H^{2+\lambda/2}}{T^{3-\lambda/2}} e^{-\mu_{\text{eff}} H / T}$$

μ_{eff} is average effective moment of AF clusters... successfully applied to $\text{La}_{0.95}\text{Ce}_{0.05}\text{RhIn}_5$ (Kim et al, 2002)

- More generally:

$$C_{\text{el}}(H, T) \propto \beta^2 \int_0^{\omega_0} d\Delta \Delta^{1-\lambda} (E_H^2 + \Delta^2) \operatorname{sech}^2(\beta \sqrt{E_H^2 + \Delta^2}) \ln \frac{\omega_0}{\Delta}^{1-\theta}$$

$$E_H(\Delta) = q\mu_B \frac{1}{\gamma} \ln\left(\frac{\omega_0}{\Delta}\right)^{\phi} H$$



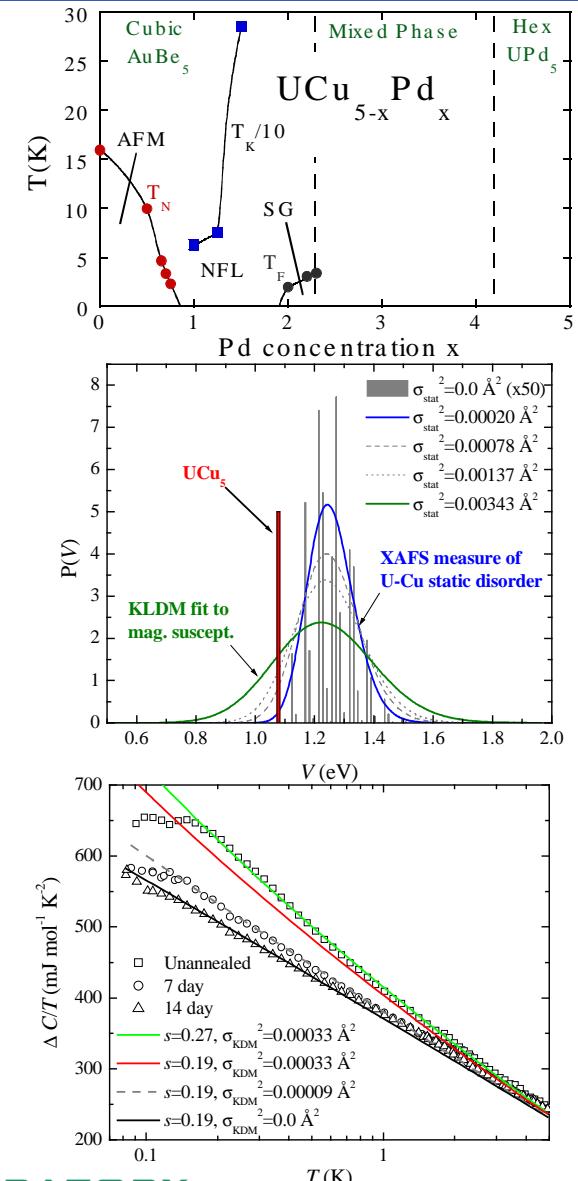
Δ is the cluster tunneling energy
 ω_0 is the tunneling energy for a single atom (cutoff)
 q average moment within a cluster
 γ is an anisotropy parameter

Data summary

- **UCu₄Pd (Disordered NFL)**
 - Pd/Cu site interchange, tunable by annealing
 - Very little bond-length disorder
 - Not enough for KLDM (that's all in V_{fd})
 - Changes in annealing indicate there is at least a little, and it does affect the magnetic properties
- **CeRhRuSi₂ (Disordered NFL)**
 - Very little, if any, bond length disorder
 - annealing has not, thus far, produced any change in any properties
- **U₃Ni₃Sn₄ (Ordered NFL)**
 - Very little, if any, structural disorder
- **CeRhIn₅, CeIrIn₅, Ce₂RhIn₈, Ce₂IrIn₈ (Ordered NFL's)**
 - Very little, if any structural disorder

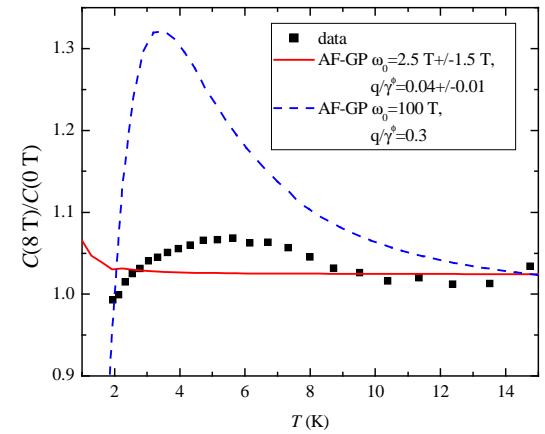
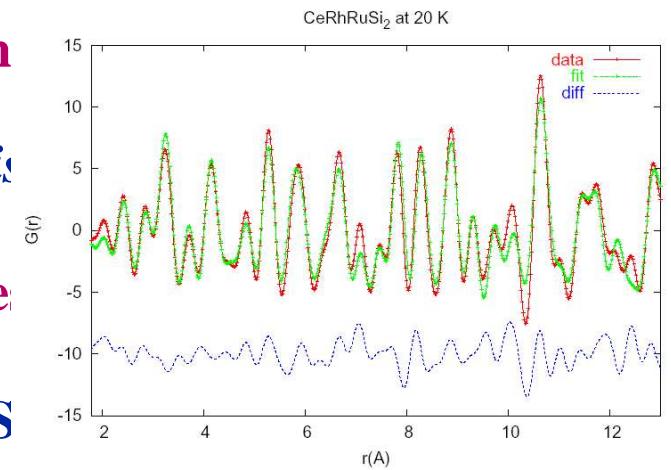
Last words

- **Nature is sneaky:** lattice disorder can hide!
- For UCu_4Pd , KLDM (Kondo lattice disorder model), with no disorder in $N(0)$ is not enough.
- **Role of disorder still very much unclear!**
 - Does disorder even matter? *Yes, but it can't explain everything!*
 - definitely not conventional: either extremely sensitive or it is a minor player
- Clustering? Magnetic droplets? Griffiths-McCoy?
 - Probably not *exactly* Griffiths-McCoy
 - Could be... tough to see structurally
- Should doped and undoped systems be treated in the same way?
 - I'm leaning toward *yes*...



Last words (*continued...*)

- Competing interaction descriptions seem most appropriate. Is RKKY or Anderson localization the important competing interaction?
Structurally, system seems to cross to RKKY, but is close to the boundary!
- KDM could still work, if something else amplifies the effect of the disorder (“pre-loading”).
- Even the “canonical” disordered NFL CeRhRuS is remarkably well ordered
- Should the disordered and the “well ordered” NFL’s be considered as a whole?
- $\text{U}_3\text{Ni}_3\text{Sn}_4$ passes all the tests of a well ordered NFL
- In addition, FL/NFL development in field appears to not be the product of a Griffiths-McCoy singularity
- ($\text{U}_3\text{Ni}_3\text{Sn}_4$ behaves similarly to CeCoIn_5 , another system with a “negative pressure” critical point)



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